

Background

- Problem of **real-time prediction** of traffic states like speed, flow, density or travel time is important from a variety of perspectives including:
 - **Traffic operations** like signal control, variable message signs or other congestion mitigation strategies.
 - **Users' perspective** like Navigation systems, trip planning and pricing algorithms for ride hailing services.
- Previous studies have used various sources of data to predict future traffic states including loop detectors, GPS data and video data.
- From methodological perspective, popular methods include:
 - **Statistical Methods** like ARIMA, State-Space Models etc.
 - **Machine-Learning Methods** like Neural Networks, KNN Regression, Support Vector Machines.
 - Traffic Flow Theory based **Traffic Estimation and Prediction Systems** (TrEPS) like Dynasmart-X, DynaMIT-R.
 - **Hybrid Methods** where two or more methods are combined in some form.

Potential Issues

We identify four potential issues with the existing approaches often used for real-time traffic prediction:

- **Restrictive Hypothesis Space** — true data generating process might lie outside the hypothesized model form like using a linear model form when the data generating process is non-linear.
- **Hyper-parameter tuning** — even when a generalized model form like neural networks are used, determining optimal hyper-parameters is tricky.
- **No single best model** — often a single model does not outperform all other models in all situations.
- **Learning from mistakes** — most approaches do not have a feedback loop to ensure learning from the mistakes made in the past.

Current Study

- We identify and address two questions in this study:
 - Can we combine different models to improve performance?
 - Can we learn from the prediction mistakes made in the past?
- We use **ensemble learning** to address these issues. Various types ensemble learning techniques include bagging, boosting, random subspace sampling & stacking.

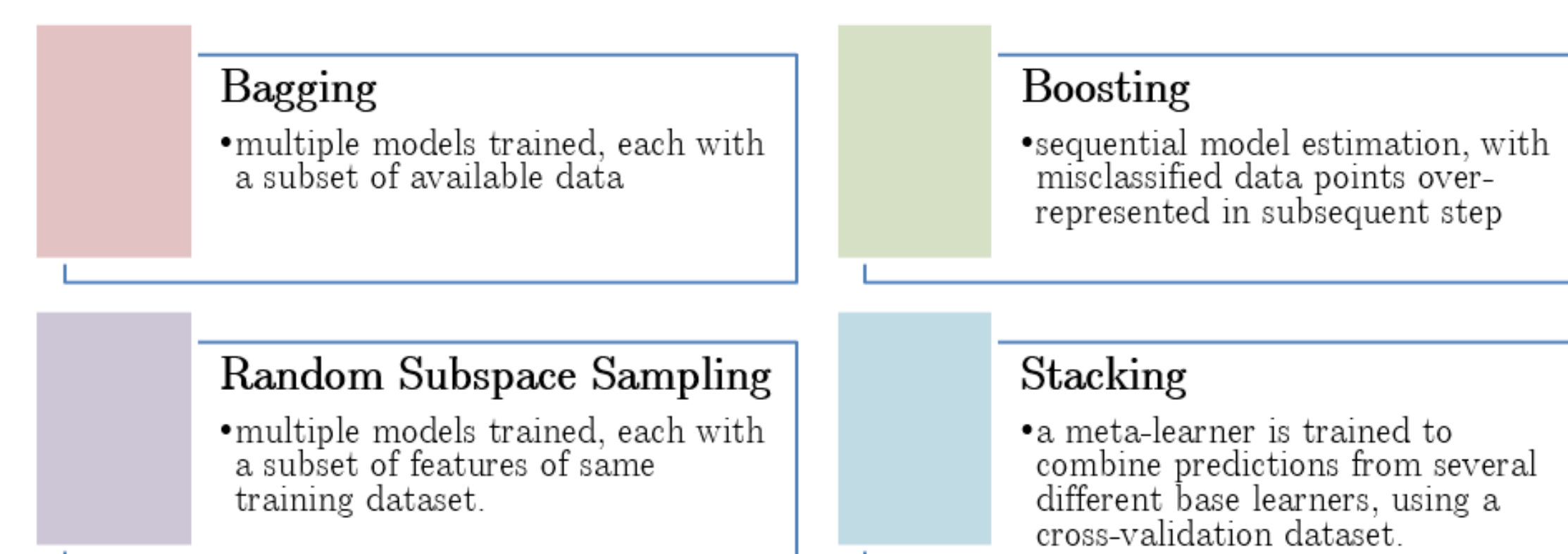


Fig. 1: Types of Ensemble Learning Methods

- We explore the use of **stacking** [1, 2] to combine predictions from four models (KNN regression, Multilayer perceptron, ARIMA, and Dynasmart-X) using predictive performance of the individual models in the recent past.
- We apply the proposed approach from 24-hour traffic speed data from 10 different loop detectors in Kansas City.

Stacking for Traffic-Speed Forecasting

- Stacking consists of two levels — **level-0** consists of multiple models making independent predictions and **level-1** consists of combining predictions from level-0 models using a **meta-learner**.
- While in a cross-sectional context stacking involves using cross-validation dataset to train the meta-learner, we use in-flowing data and the corresponding predictions in the previous steps to train the meta-learner.

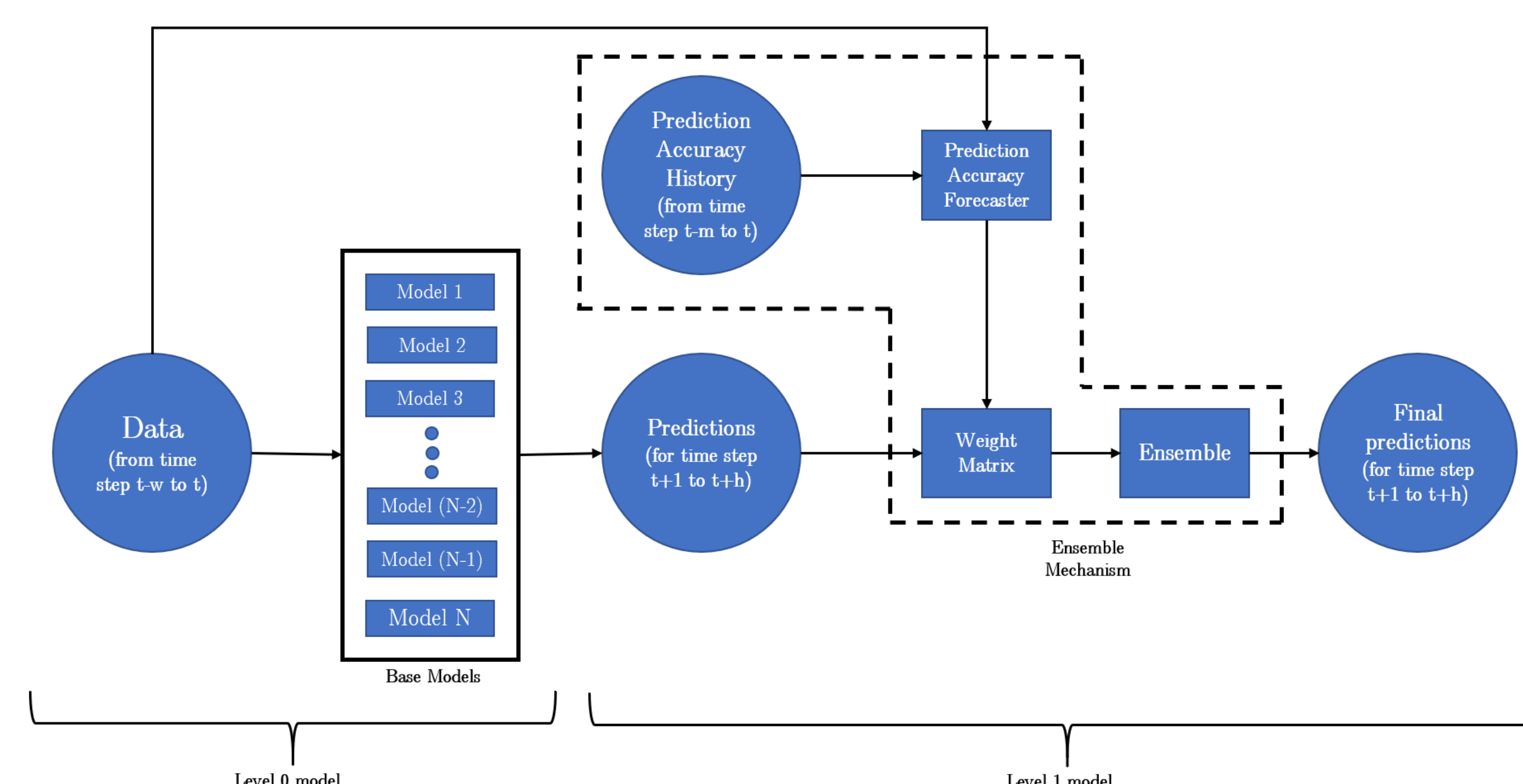


Fig. 2: Conceptual Framework for Stacking

- We operate at a **rolling-horizon** basis, i.e. at time step t , use data from time step $t - w$ to t to predict speed values at future time steps.
- For meta-learner, we explore two different algorithms:
 - Non-negative least square estimation (NNLS) [1]
 - K-Nearest Neighbors

Case Study

- 24-hour traffic speed data, available as space mean speed at 1-minute interval, from 10 different loop detectors on interstate 435 in Kansas City is used.
- At every time step, data is used to predict traffic speed 15 minutes in future.

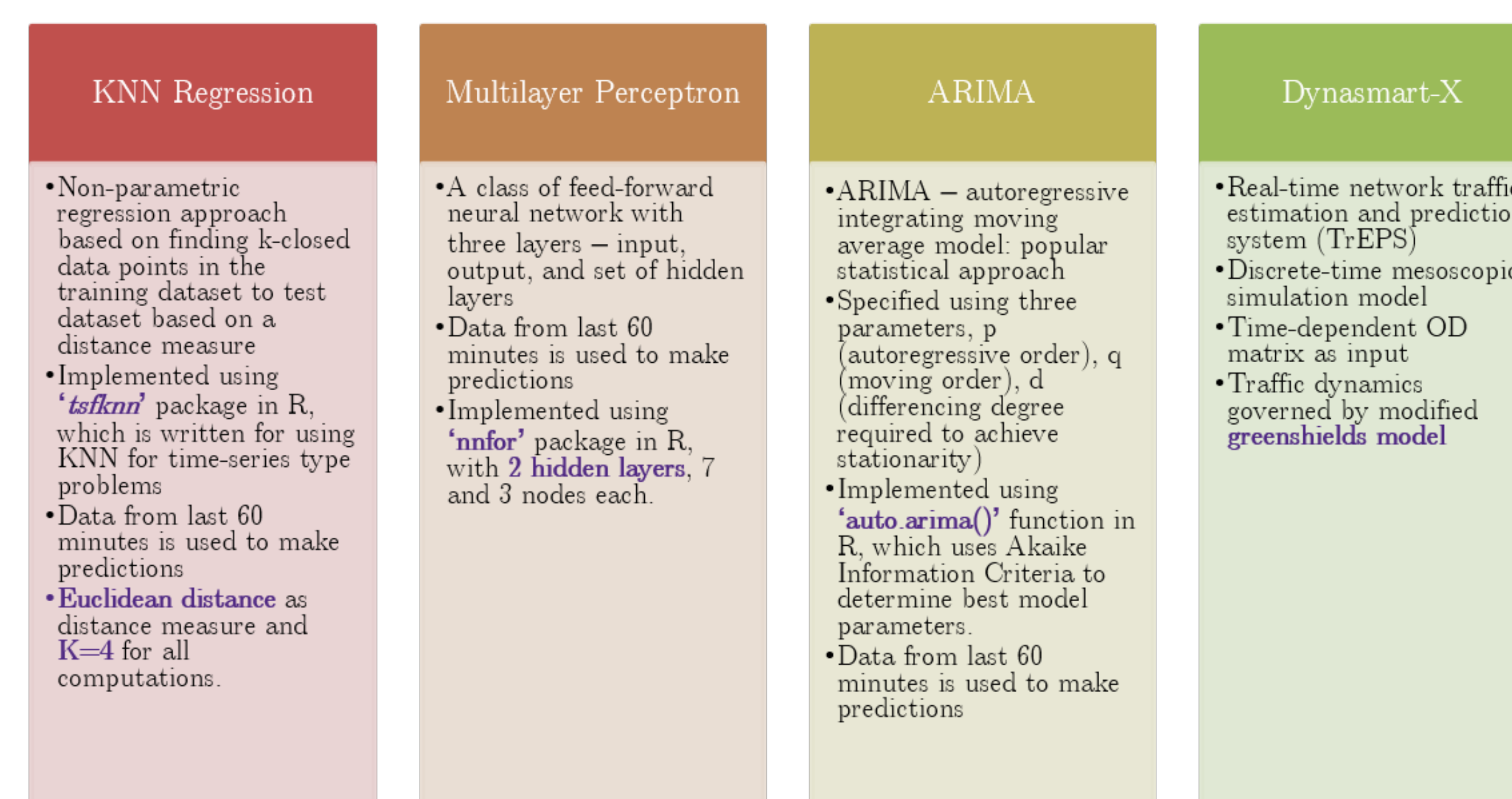


Fig. 3: Level-0 Models

- For meta-learning, a **warm-up period** is assumed, which involved taking average of level-0 predictions so that sufficient data to train meta-learner is collected.
- Different lengths of **historical performance data** explored to train meta-learner — 5 to 60 minutes in the history at 5 minutes interval.
- **Performance Measures:** Absolute Percentage Error; Number of instances with least APE value for different methods.

Results

- For NNLS, total APE first decreases then increases with increasing length of the performance history. For KNN, total APE mostly increases with increasing length of the performance history.
- In most cases, for at least one value of performance history, total APE values are either better or close to the best performing level-0 model.
- Cumulative APE is relatively higher for NNLS meta-learner around the evening peak but does not deteriorate that much for the KNN meta-learner.
- However, NNLS performs better than KNN meta-learner and other level-0 models in terms of number of instances with least APE.

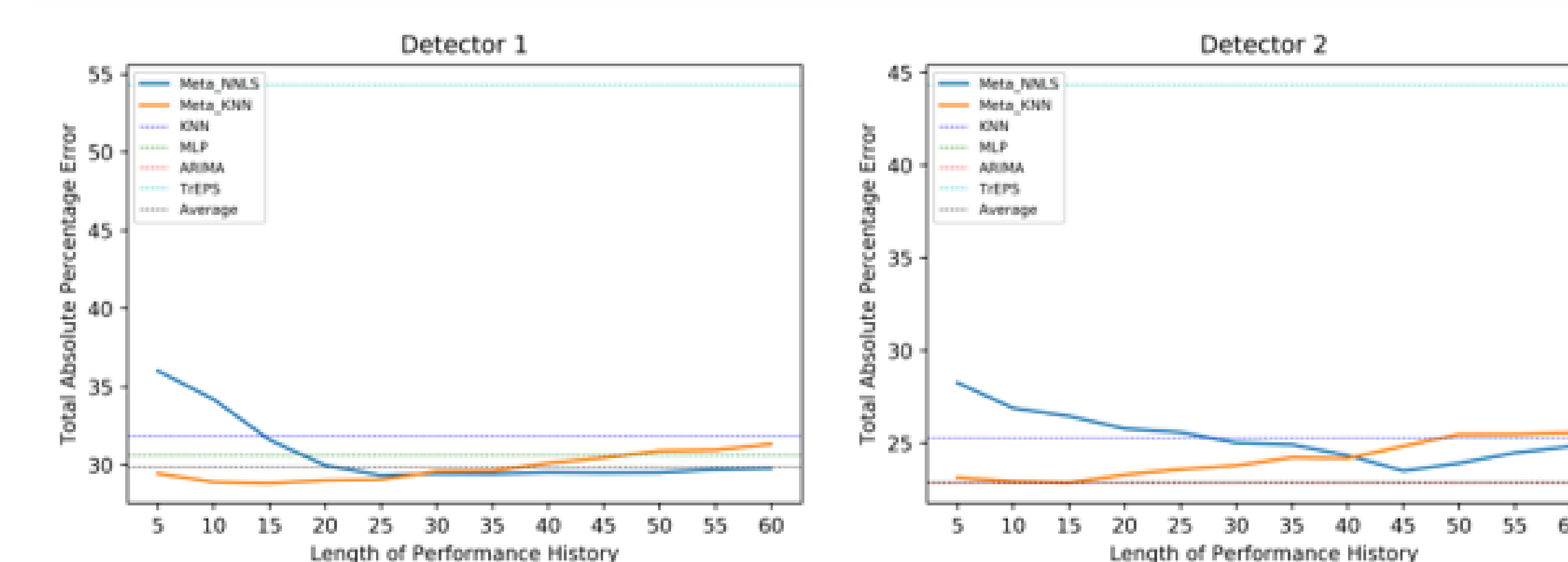


Fig. 4: Total absolute percentage error for different lengths of performance history for detector 1 and 2

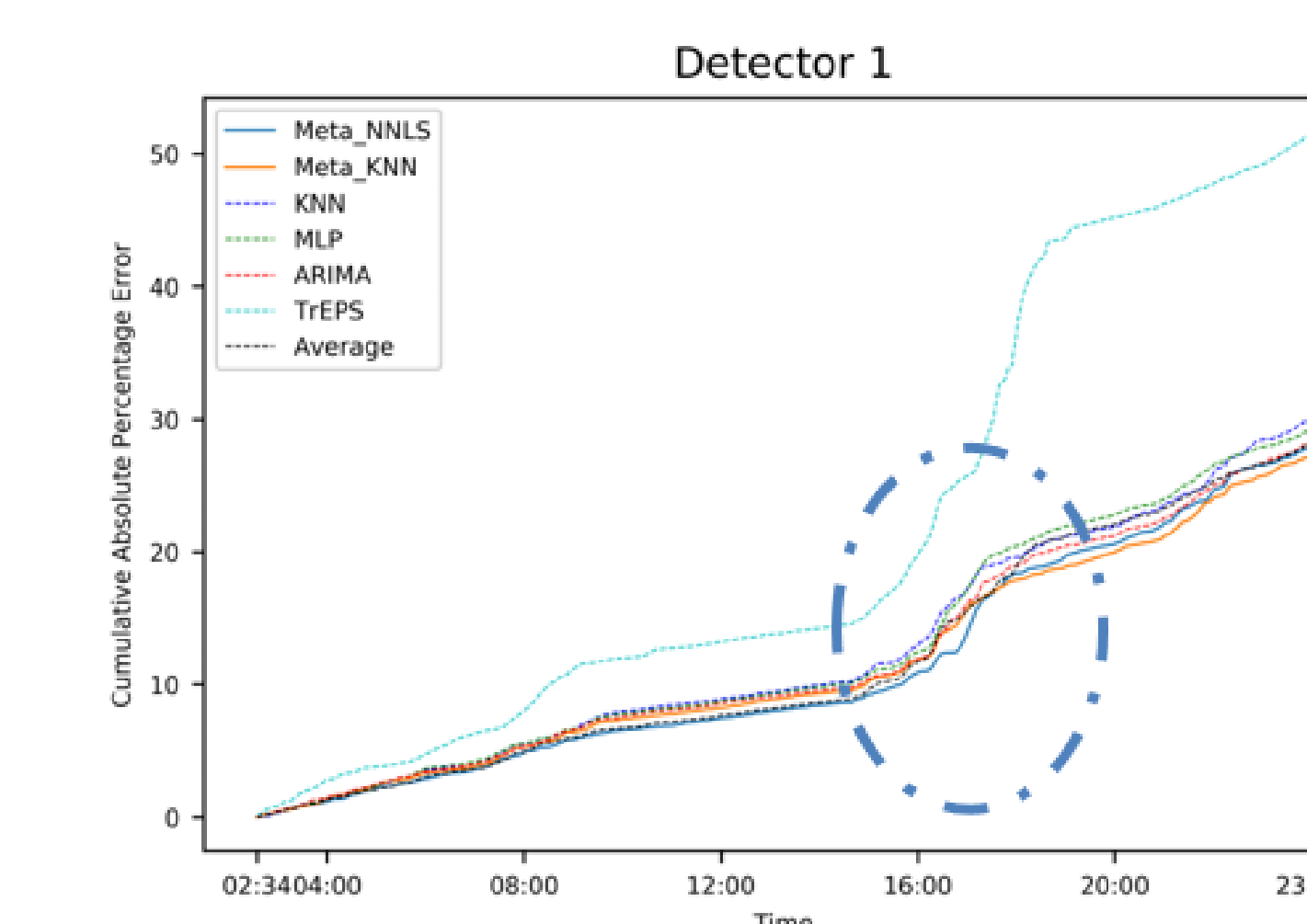


Fig. 5: Cumulative absolute percentage error for different models for detector 1

| | Meta_NNLS | Meta_KNN | KNN | MLP | ARIMA | TrEPS | Average |
|-------------|-----------|----------|------|------|-------|-------|---------|
| Detector 1 | 251 | 192 | 173 | 155 | 154 | 222 | 140 |
| Detector 2 | 189 | 171 | 175 | 165 | 193 | 214 | 189 |
| Detector 3 | 200 | 187 | 145 | 172 | 211 | 179 | 189 |
| Detector 4 | 206 | 156 | 196 | 150 | 148 | 229 | 202 |
| Detector 5 | 199 | 174 | 163 | 141 | 201 | 234 | 175 |
| Detector 6 | 195 | 164 | 181 | 144 | 175 | 195 | 232 |
| Detector 7 | 188 | 229 | 165 | 151 | 197 | 160 | 206 |
| Detector 8 | 184 | 216 | 228 | 139 | 155 | 208 | 157 |
| Detector 9 | 212 | 274 | 186 | 176 | 197 | 104 | 137 |
| Detector 10 | 205 | 191 | 168 | 182 | 223 | 91 | 226 |
| Total | 2020 | 1854 | 1780 | 1575 | 1854 | 1836 | 1853 |

Tab. 1: No. of instances with least APE for a particular methods for each detector

- Overall, while the meta-learners used in this study do not always guarantee superior performance than level-0 models, the explored stacking approach seems to work better during the non-peak hours.
- Perhaps, an alternative here would be to not use just immediate performance history but also incorporate performance from previous days.

Acknowledgement

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References

- [1] Breiman, L., 1996. Stacked regressions. Machine learning, 24(1), pp.49-64.
- [2] Wolpert, D.H., 1992. Stacked generalization. Neural networks, 5(2), pp.241-259.